# SAS macro to generate Network Balanced Designs Type I (NetBD1) involving multiple trees and monocrop agroforestry systems 

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Network Balanced Design (NetBD): NetBD refers to a design based on the network effects model in which each treatment has every other treatment appearing as left, right, top and bottom neighbours equal (constant) number of times. By this definition, a NetBD is combinatorially balanced and circular, thus having all the treatments in the first row (column) as borders to the last row (column) and vice versa. In the context of agroforestry with the aim to estimate effects of trees, each tree species will have other tree species planted in all adjacent plots equal number of times. Therefore, the linear network effects model of Parker et al. (2017) can be considered, which should effectively account for main and nondirectional interference effects of trees in an agroforestry trail as stated by Birteeb et al. (2020) and Birteeb (2021).

Experimental setup and model: Consider an agroforestry experiment where same crop but $(v)$ different tree species are planted on $n$ plots, each plot has only one tree species. Assuming that the response $Y_{i}$ (measured from the crop) is a result of "tree effect" $\left(\tau_{j, i}\right)$ from plot $i$ having tree species $j$, and "tree network effect" $\left(\delta_{l, k}\right)$ if tree species $l$ is planted on an adjacent connected plot $k$. Each of the $n$ plots is connected by 4 other plots surrounding it. Let $A_{n \times n}$ is a symmetric adjacency matrix for this experiment, then the network effects model is given as:

$$
\begin{aligned}
& Y_{i}=\mu+\tau_{j, i}+\sum_{k=1}^{n} A_{i k} \delta_{l, k}+\varepsilon_{i} \\
& i=1,2, \ldots, n ; k=1,2, \ldots, n ; i \neq k ; j=1,2, \ldots, v ; l=1,2, \ldots, v
\end{aligned}
$$

where $\mu$ is general mean and $\varepsilon_{i}$ are assumed to be identically, independently and normally distributed with 0 mean and constant variance, $\sigma^{2}$.

Example: Let $v=5$ tree species. The 4 initial columns are:

| Col. 1 | Col. 2 | Col. 3 | Col. 4 |
| :---: | :---: | :---: | :---: |
| 0 | 0 | 0 | 0 |
| 1 | 2 | 3 | 4 |
| 2 | 4 | 1 | 3 |
| 3 | 1 | 4 | 2 |
| 4 | 3 | 2 | 1 |

After developing each initial column cyclically mod 5 and adding 1 to every element, the 4 square arrays of size 5 each is given as:

| Array I |  |  |  |  | Array II |  |  |  |  |  | Array III |  |  |  |  | Array IV |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | 2 | 3 | 4 | 5 | 1 | 2 | 3 | 4 | 5 | 1 | 2 | 3 | 4 | 5 | 1 | 2 | 3 | 4 | 5 |  |
| 2 | 3 | 4 | 5 | 1 | 3 | 4 | 5 | 1 | 2 | 4 | 5 | 1 | 2 | 3 | 5 | 1 | 2 | 3 | 4 |  |
| 3 | 4 | 5 | 1 | 2 | 5 | 1 | 2 | 3 | 4 | 2 | 3 | 4 | 5 | 1 | 4 | 5 | 1 | 2 | 3 |  |
| 4 | 5 | 1 | 2 | 3 | 2 | 3 | 4 | 5 | 1 | 5 | 1 | 2 | 3 | 4 | 3 | 4 | 5 | 1 | 2 |  |
| 5 | 1 | 2 | 3 | 4 | 4 | 5 | 1 | 2 | 3 | 3 | 4 | 5 | 1 | 2 | 2 | 3 | 4 | 5 | 1 |  |

Arranging corresponding columns together results in formation of 5 arrays each of size $5 \times$ 4, and upon making the design circular, the final NetBD1 for 5 tree species is obtained below.

|  | 5 | 4 | 3 | 2 | 1 | 5 | 4 | 3 | 2 | 1 | 5 | 4 | 3 | 2 | 1 | 5 | 4 | 3 | 2 | 1 |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 5 | 1 | 1 | 1 | 1 | 2 | 2 | 2 | 2 | 3 | 3 | 3 | 3 | 4 | 4 | 4 | 4 | 5 | 5 | 5 | 5 | 1 |
| 4 | 2 | 3 | 4 | 5 | 3 | 4 | 5 | 1 | 4 | 5 | 1 | 2 | 5 | 1 | 2 | 3 | 1 | 2 | 3 | 4 | 2 |
| 3 | 3 | 5 | 2 | 4 | 4 | 1 | 3 | 5 | 5 | 2 | 4 | 1 | 1 | 3 | 5 | 2 | 2 | 4 | 1 | 3 | 3 |
| 2 | 4 | 2 | 5 | 3 | 5 | 3 | 1 | 4 | 1 | 4 | 2 | 5 | 2 | 5 | 3 | 1 | 3 | 1 | 4 | 2 | 4 |
| 1 | 5 | 4 | 3 | 2 | 1 | 5 | 4 | 3 | 2 | 1 | 5 | 4 | 3 | 2 | 1 | 5 | 4 | 3 | 2 | 1 | 5 |

The layout of the design can be obtained using the program written in SAS IML in the form of a Macro by just entering the number of treatments.
/*Developed by- Peter T. Birteeb, Eldho Varghese, Cini Varghese, Seema Jaggi and Mohd Harun*/
/*Date: 10-07-2022*/
/*VERSION 1.0: 10-07-2022*/
/*It provides generation of Network Balanced Designs Type I (NetBD1) */
OPTIONS NODATE NOSTIMER LS=78 PS=60;
\%let $\mathrm{v}=5$; /*Enter the number of treaments (v must be prime number) */
ods rtf file="NETWORK BALANCED DESIGN.rtf";
*title 'NETWORK BALANCED DESIGN';

## proc iml;

pp1=1;
do $\mathrm{i}=\mathbf{2}$ to $\& \mathrm{v}-\mathbf{1}$;
$\mathrm{pp}=\bmod (\& v, \mathrm{i})$;
if $\mathrm{pp}=0$ then $\mathrm{pp} 1=0$;
end;
if $\mathrm{pp} 1=0$ then do;
print 'Entered number is not a prime number';
end;
if $\mathrm{pp} 1^{\wedge}=0$ then do;
first=j(1,\&v-1,\&v);

```
Square=j(&v-1,&v-1,0);
do i=1 to &v-1;
do j=1 to &v-1;
Square[i,j]=mod(i*j,&v);
end;
end;
square=first//square;
*print square;
NBD1=j(&v,(&v-1)*&v,0);
do k=1 to &v;
do i=1 to &v;
do j=1 to &v-1;
NBD1[i,(&v-1)*(k-1)+j]=mod(Square[i,j]+(k-1)+1,&v);
if NBD1[i,(&v-1)*(k-1)+j]=0 then NBD1[i,(&v-1)*(k-1)+j]=&v;
end;
end;
end;
print "NETWORK BALANCED DESIGN for v = &v";
a0=j(1,1,'Border_Plots');
a1_l=NBD1[ ,ncol(NBD1)];
a2_l=char(a1_1,4,0);
*a3_l=a0//a2_1//a0;
a1_r=NBD1[,1];
a2_r=char(a1_r,4,0);
*a3_r=a0//a2_r//a0;
a1_t=NBD1[nrow(NBD1), ];
a2_t=char(a1_t,4,0);
a3_t=a0||a2_t|a0;
a1_b=NBD1[1, ];
a2_b=char(a1_b,4,0);
a3_b=a0|a2_b|a0;
a4=char(NBD1,4,0);
NBD=a3_t//(a2_l|a4||a2_r)//a3_b;
print NBD;
print 'Note: Circular border plots has been considered for all the four sides viz., left, right, top
and bottom';
end;
run;
ods rtf close;
quit;
```


## SAS OUTPUT

| The SAS System |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| NETWORK BALANCED DESIGN for $\mathrm{v}=5$ |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| NBD |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
|  | COL1 | COL2 | COL3 | COL4 | COL5 | COL6 | COL7 | COL8 | COL9 | COL10 | COL11 | COL12 | COL13 | COL14 | COL15 | COL16 | COL17 | COL18 | COL19 | COL20 | COL21 | COL22 |
| Row1 | Border_Plots | 5 | 4 | 3 | 2 | 1 | 5 | 4 | 3 | 2 | 1 | 5 | 4 | 3 | 2 | 1 | 5 | 4 | 3 | 2 | 1 | Border_Plots |
| Row2 | 5 | 1 | 1 | 1 | 1 | 2 | 2 | 2 | 2 | 3 | 3 | 3 | 3 | 4 | 4 | 4 | 4 | 5 | 5 | 5 | 5 | 1 |
| Row3 | 4 | 2 | 3 | 4 | 5 | 3 | 4 | 5 | 1 | 4 | 5 | 1 | 2 | 5 | 1 | 2 | 3 | 1 | 2 | 3 | 4 | 2 |
| Row4 | 3 | 3 | 5 | 2 | 4 | 4 | 1 | 3 | 5 | 5 | 2 | 4 | 1 | 1 | 3 | 5 | 2 | 2 | 4 | 1 | 3 | 3 |
| Row5 | 2 | 4 | 2 | 5 | 3 | 5 | 3 | 1 | 4 | 1 | 4 | 2 | 5 | 2 | 5 | 3 | 1 | 3 | 1 | 4 | 2 | 4 |
| Row6 | 1 | 5 | 4 | 3 | 2 | 1 | 5 | 4 | 3 | 2 | 1 | 5 | 4 | 3 | 2 | 1 | 5 | 4 | 3 | 2 | 1 | 5 |
| Row7 | Border_Plots | 1 | 1 | 1 | 1 | 2 | 2 | 2 | 2 | 3 | 3 | 3 | 3 | 4 | 4 | 4 | 4 | 5 | 5 | 5 | 5 | Border_Plots |
| Note: Circular border plots has been considered for all the four sides viz., left, right, top and bottom |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |

## References

Birteeb, P. T. (2021). Designing agroforestry systems for sustainable livelihood. Unpublished Ph.D. Thesis, ICAR-Indian Agricultural Research Institute, New Delhi.

Birteeb, P. T., Varghese, C., Jaggi, S., Varghese, E., Harun, M. (2020). An efficient class of tree network balanced designs for agroforestry experimentation. Communications in Statistics - Simulation and Computation, doi:10.1080/03610918.2020.1825739
Parker, B. M., Gilmour, S. G., Schormans, J. (2017). Optimal design of experiments on connected units with application to social networks. Journal of the Royal Statistical Society, Series C, 66(3), 455-480.

